

Fixational eye movements increase acuity in a retinal Bipolar-Amacrine-Ganglion circuit model

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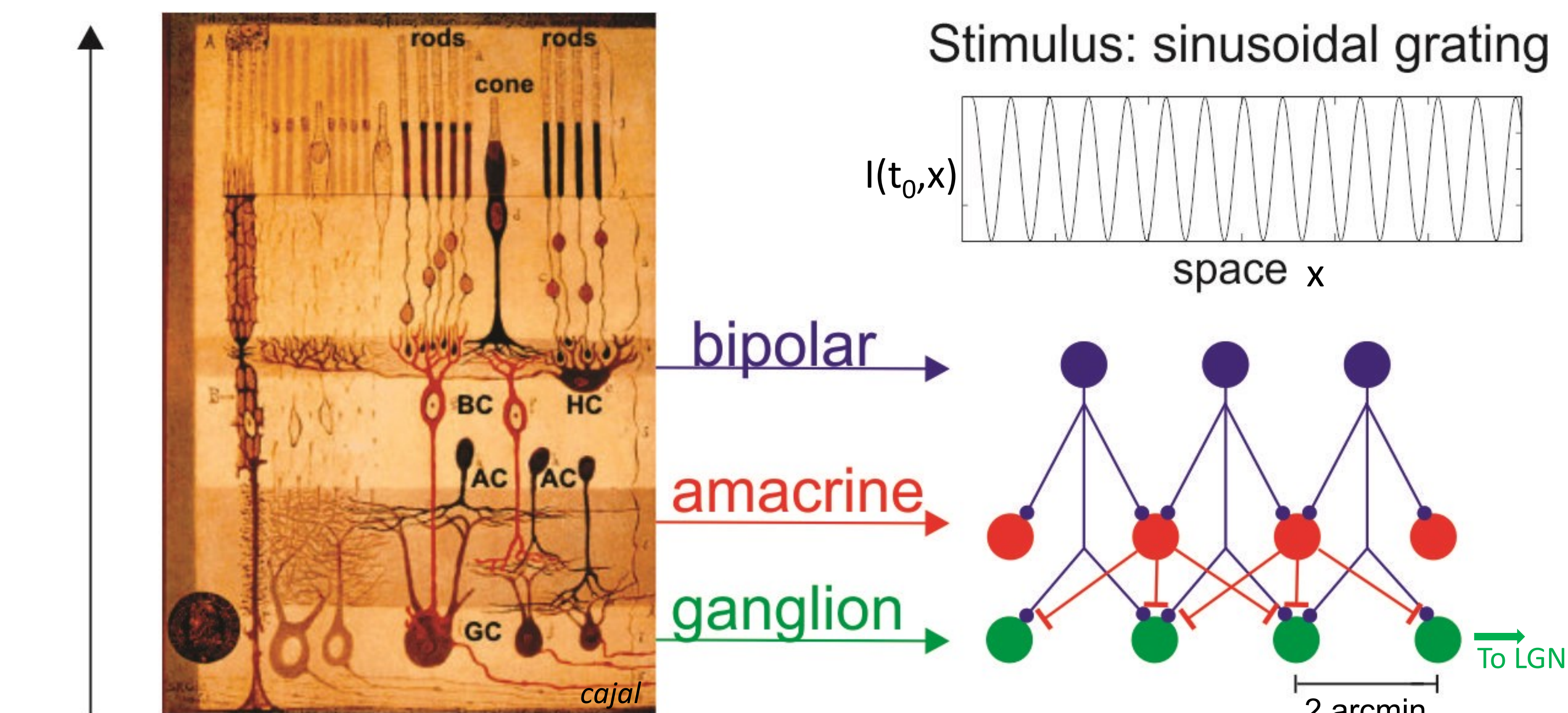
Introduction

The mammalian retina contains at least 11 Bipolar (B), 25 Amacrine (A), and 20 Ganglion (G) cell types. While the retina has been widely considered a simple interface between environment and brain with filters, relays, and image compression, the diversity of anatomical and physiological features present in the retina raises an important unanswered question: is retinal complexity an epiphenomenon of natural selection's lack of design or does it serve a purpose, endowing the retina with unforeseen computational capacities, previously masked by technological and experimental limitations. To address this question, we developed a mathematical model of a B-A-G network with eccentricity-dependent receptive fields and focused on the poorly understood issue of how retinal processing differs in the presence and absence of involuntary fixational eye movements (FEyeM = microsaccades and drift).

Methods

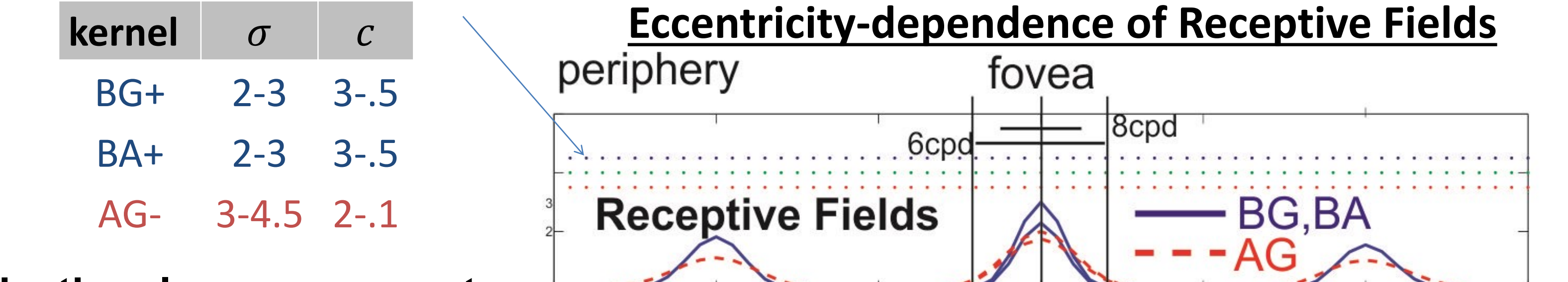
Drift was modeled as a continuous random walk at 10 arcmin/sec, and microsaccades were modeled as discontinuous, random events correcting for fixational deviations from fovea. Our model consists of three interconnected populations with continuous dynamics and Gaussian kernels: bipolar cells relay visual information to amacrine and ganglion cells, and amacrine cells inhibit ganglion cells. The retina model's ability to process spectral content was tested using sinusoidal gratings varying spatial ($f_s=2-12\text{cpd}$) & temporal ($f_t=0-20\text{Hz}$) freqs.

Computational retina model

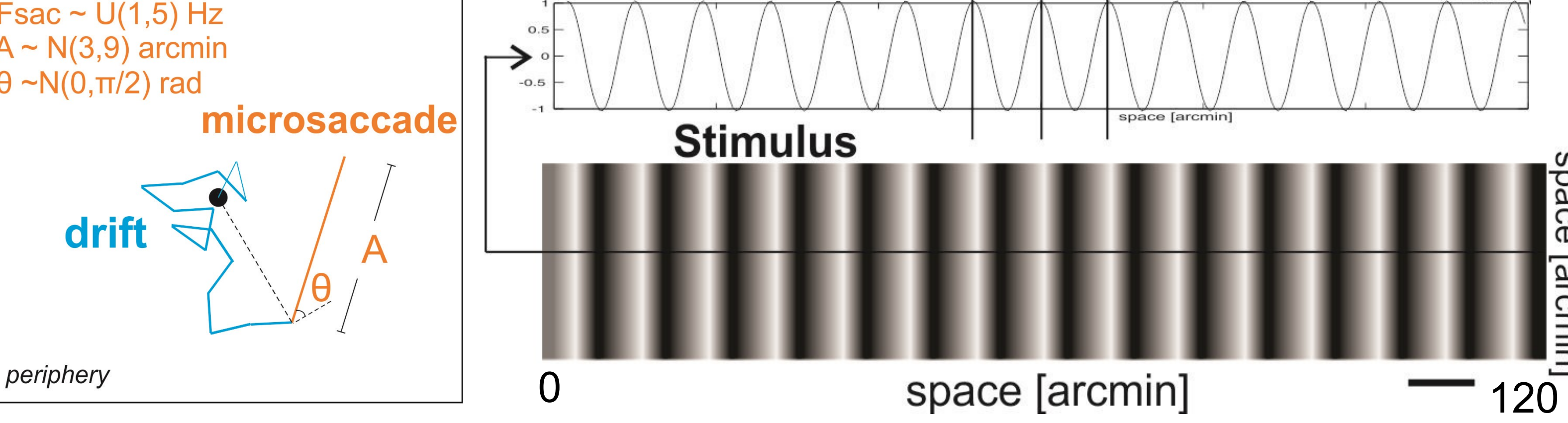


Population	Dynamics	Output
Bipolar cells (B)	$\dot{B} = a_B[-B + (2-B)I], \dot{z} = a_z(1-z-100Bz)$	$\hat{B} = Bz$
Amacrine cells (A)	$\dot{A} = -a_A A + (b_A - A)[\hat{B} * K^{BA+}] + GJ$	$\hat{A} = \max(0, A)$
Ganglion cells (G)	$\dot{G} = -a_G G + (b_G - G)[\hat{B} * K^{BG+}] - (G + d_G)[\hat{A} * K^{AG-}]$	G

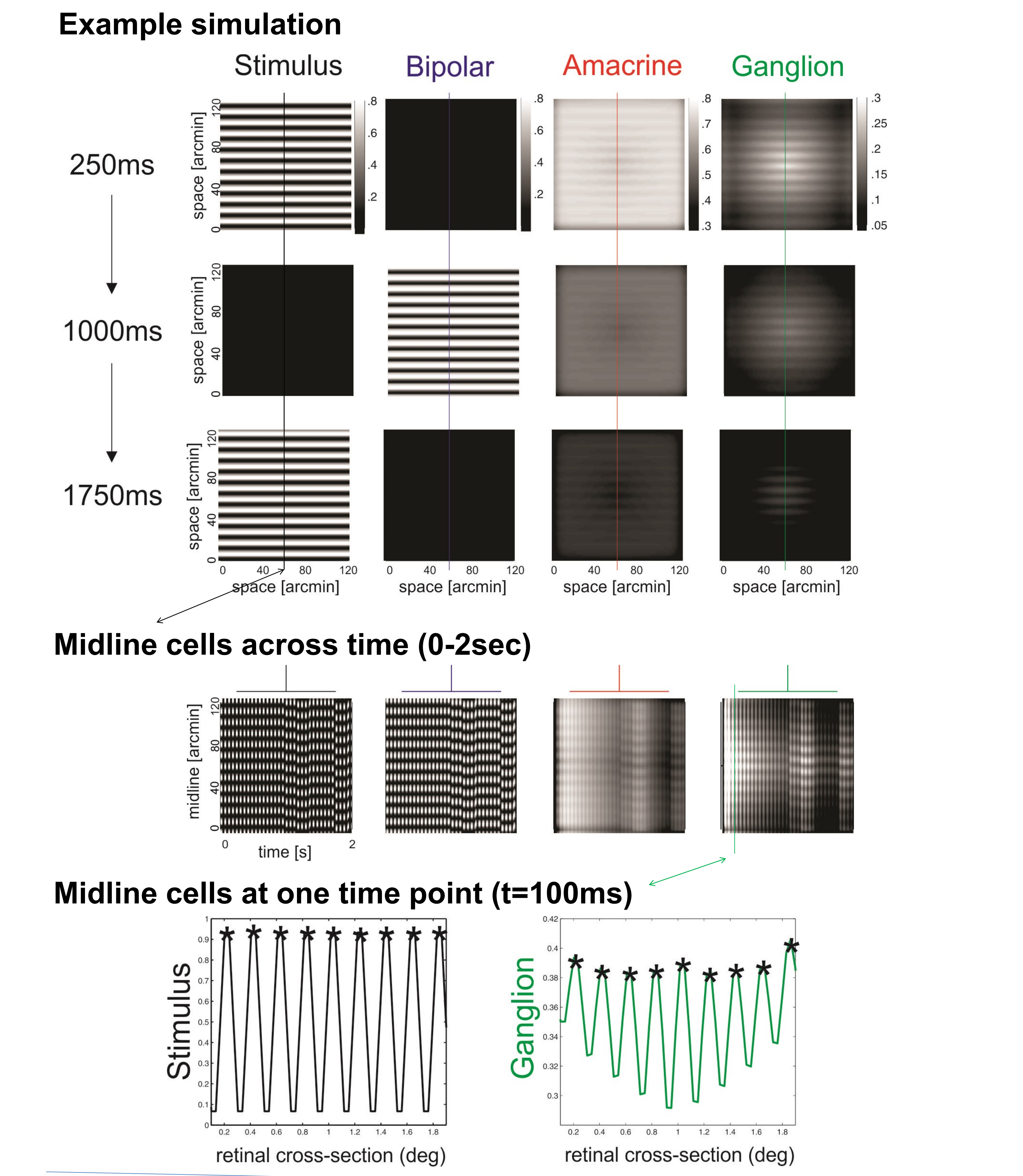
Receptive field kernels (connections): $K^{XYS} = c_{XYS} e^{-\frac{\|x-y\|^2}{\sigma_{XYS}^2}}, s \in \{+, -\}$. (c and σ may vary across the retina)



Fixational eye movements

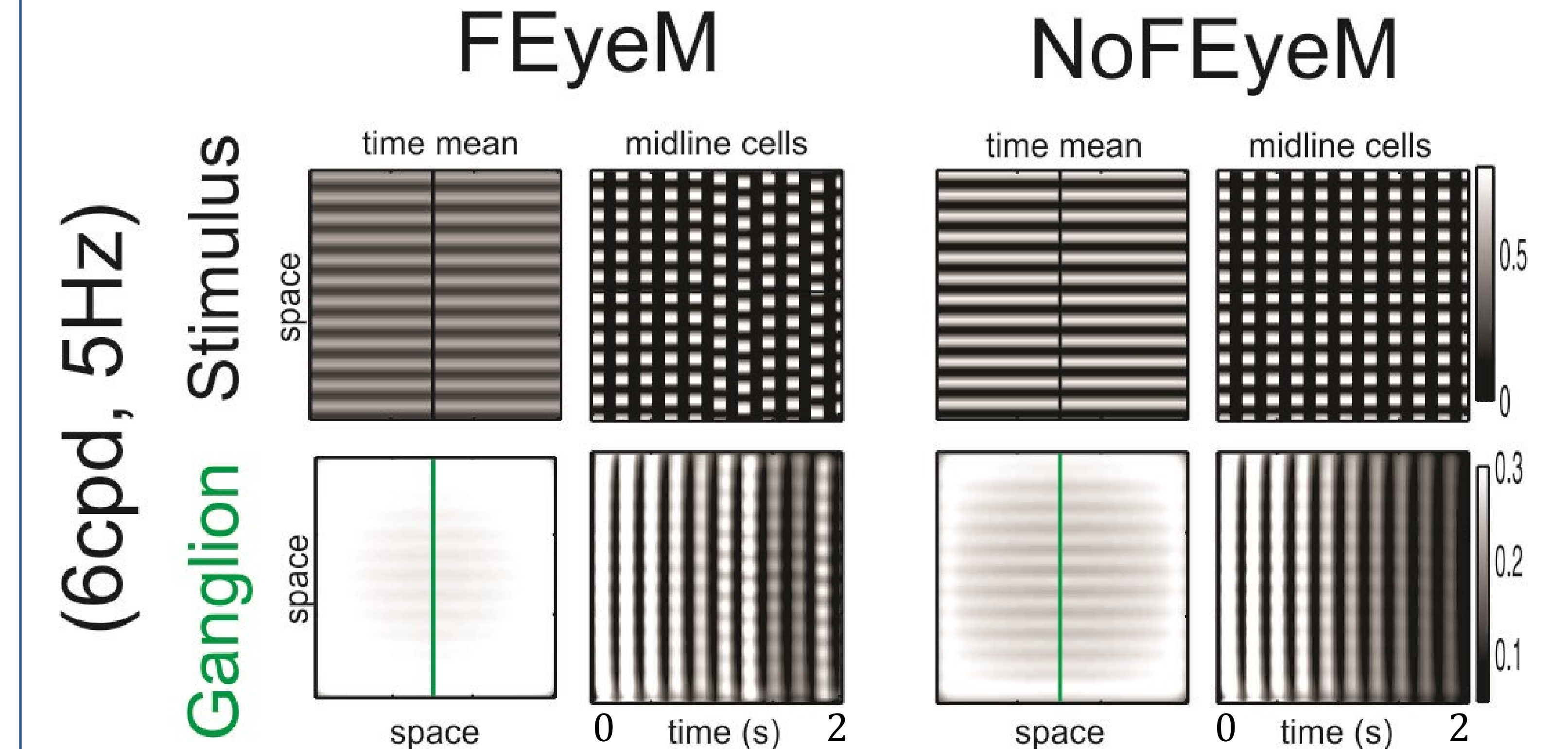


Model performance

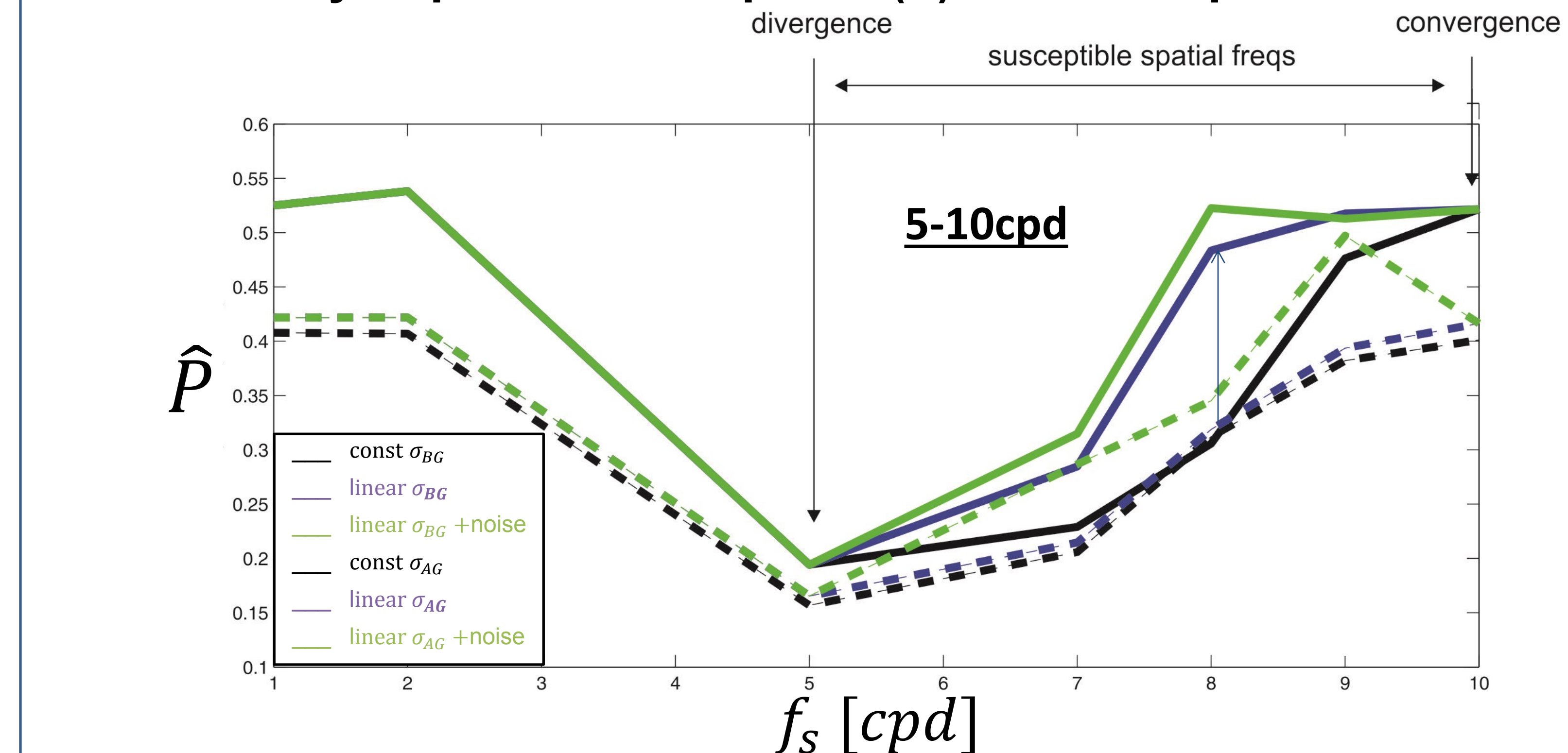


Results

Fixational eye movements decrease habituation



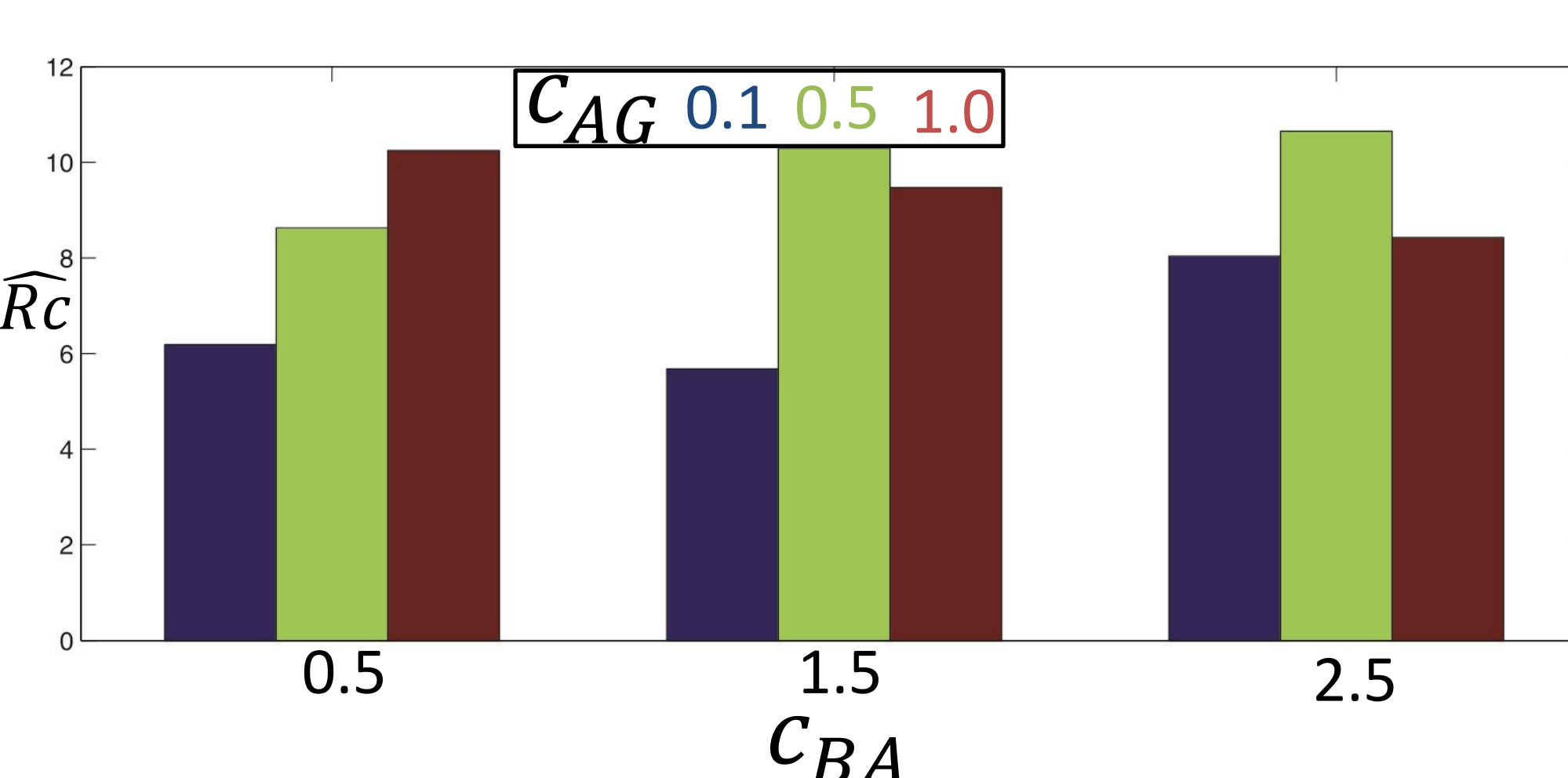
Eccentricity-dependent RF spread (σ) increases power



FEyeM increases power



Enhancement increased by Increasing peripheral inhibition (c_{AG})



Conclusions

Fixational eye movements enhance power for spatial frequencies 6-10cpd by increasing the area sampled by each ganglion cell and, on longer time scales, by delaying habituation. Adding eccentricity-dependence to bipolar-to-ganglion kernels also increased power at spatial frequencies 5-10cpd, both with and without FEyeM. In our model, these spatial frequencies have a cycle period on the order of the foveal ganglion receptive field. We hypothesize that FEyeM and receptive field gradients are two mechanisms that can increase retinal acuity for spatial frequencies on the order of ganglion receptive fields.

Future simulations will aim to disentangle drift & microsaccade effects; explore dependence on temporal characteristics, amacrine physiology, implications for neural encoding, cortical processing, & development.

Acknowledgments

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\hat{P} and \hat{R} represent how much of the stimulus power was relayed to LGN by the ganglion cells for a given grating frequency f_s and flash rate f_t .